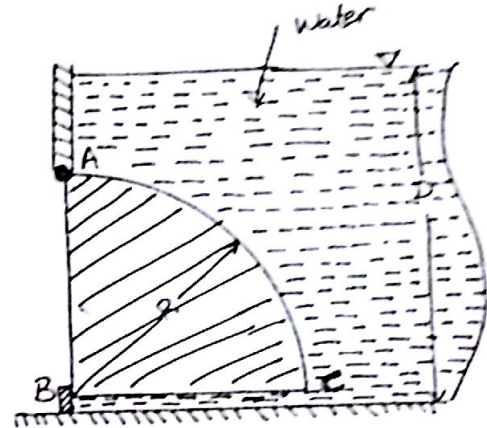


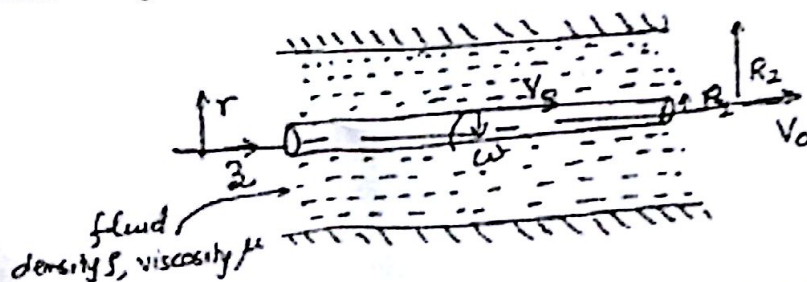
Answers to Part A have to be written on the provided question paper. There is negative marking for MCQ type questions. Negative marks awarded for wrong answers or for marking more than 1 choices. For 1 mark questions 0.25 negative mark, For 2 mark questions 0.5 negative mark and for 3 and 4 mark questions, -1 negative mark. The marks are written in parenthesis at the end of each question.

Q1. A gate (ABC), in shape of a quarter circle, hinged at A and sealed at B, is 2 m wide. In the given figure $D = 3\text{m}$ and the radius $R = 2\text{m}$. Determine the force on the stop at B assuming that it acts only in the horizontal direction. Neglect the weight of the gate. (15)



Q2. In a textile manufacturing process, a wire of radius R_1 is being pulled out from a cylindrical tank of fluid of constant density ρ and viscosity μ . The radius of the tank is R_2 . The wire is spinning about its axis with an angular speed ω and also has an axial velocity V_0 . We wish to obtain the velocity profile of the fluid occupying the region $R_1 \leq r \leq R_2$. The following approximations can be made:

- i. Gravity can be neglected.
 - ii. Since the wire is long, $\partial V / \partial z = 0$.
 - iii. The flow is steady so \vec{V} and p do not change with time.
 - iv. The flow is axisymmetric so \vec{V} and p do not change with θ .
 - v. $\partial p / \partial z = 0$.
- a) State the boundary conditions on \vec{V} .
 - b) Simplify the continuity equation and solve for V_r .
 - c) Simplify the appropriate components of the Navier Stokes equations to obtain the velocity profile.
 - d) Estimate the power required per unit length of wire to carry out this operation. Hint: Due to Force, Power = (Force X Velocity) and due to Moment, Power = (Moment X Angular Velocity).



(20)

Reynolds Transport theorem

$$\frac{dB}{dt} = \frac{\partial}{\partial t} \iiint_V \rho s dV + \iint_S \rho (\vec{v} \cdot \hat{n}) dA$$

mass balance: $\rho = 1$, momentum balance: $\rho = \vec{v}$