

CLL 763: Fundamentals of Capillarity and Wetting

Minor examination

Date: 15-Sep-2023 (3:30 pm to 5:30 pm); LH410 & LH416

Total Marks: 35

Duration: 2:00h

Instructions: Any assumptions need to be stated explicitly. All steps need to be explained clearly for derivation.

1. Short Answer: (1.5 x 6)

- While calculating the total interaction energy of one molecule with all other molecules in the system, during integration the lower limit is taken as particle diameter. Explain why?
- Why does a liquid drop bounce before it spreads on a solid surface?
- What are the components of Van der Waals force, and which one is temperature dependent?
- Why can't we measure the surface tension of water using pendent drop method in International Space Station? Explain with the equation.
- Why does the sliding friction decrease on moderately wet sand?
- What is imbibition parameter (I) and spreading coefficient (S)? How are they related?

2. How does a gecko stick and walk efficiently on the walls? Why does it fall if a large amount of water is sprayed on it? (1.5+0.5)

3. Conceptually explain the design of a surface with sketch where water droplets can move against gravity spontaneously? (1.5+1.5)

$$I = \sigma + \phi S$$

$$= \sigma_{SV} - \sigma_{SL}$$

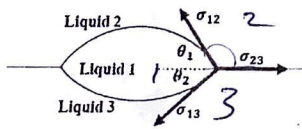
See sketch

$$\sigma_{LV} + \sigma_{SL} - \sigma_{SV}$$

4. Derive Cassie-Baxter relation. (3)

5. Equilibrium configuration of a liquid droplet on another liquid is shown below. Show that: (2)

$$\sigma_{12} \sin \theta_1 = \sigma_{13} \sin \theta_2$$



$$\frac{\sigma_{13}}{\sin(180-\theta_1)} = \frac{\sigma_{12}}{\sin(180-\theta_2)}$$

f.d.r
microscopic

Twist

6. A water droplet is resting on a rough surface in Cassie-Baxter (CB) state. Transition from CB to Wenzel state could happen due to enhanced Laplace pressure inside the drop during evaporation. Show that, in case of de-pinning scenario:

$$R_c = -\frac{a}{\cos \theta_A}$$

Where, R_c is the critical radius of the drop, θ_A is the advancing contact angle and '2a' is the spacing between two pillars. (5)

7. From the understanding of work of adhesion (W_{12}) and cohesion (W_{11}), show that the interfacial energy (σ_{12}) can be approximated as: (5)

$$\sigma_{12} \approx \sigma_1 + \sigma_2 - 2\sqrt{\sigma_1^d \sigma_2^d}$$

8. Equilibrium contact angle of water on a surface is 60° . After creating random microscopic roughness, the contact angle reduces to 30° . If the actual surface area between water and the rough surface is 10 mm^2 , calculate the apparent projected area and the height of the drop. Assume circular contact area. (2.5+3.5)

$$\cos \theta_B = (1-f) \cos \theta_A + f \cos \theta$$

$$\cos \theta_B = f [\cos \theta_A + \cos \theta] + (1-f) \cos \theta_A$$

---END---

$$\cos \theta_B = f [1 + \cos \theta_A] + 1$$

$$\cos \theta_B = \frac{a}{2R_c}$$

setae septae
2\pi r H/6